


Second exam: Monday November 5, 2001
12:05 lecture: Room 1300 Sterling
1:20 lecture: Room 125 OLD Biochem Bldg
420 Henry Mall (corner Univ Ave)

the exam covers: Homework 4-7
Lab 5-8
Study Guide

the material refers to p. 71-138 in “The Science of Sights and Sounds” on reserve at Helen C. White and at Physics library

- Review Sessions in Room 3335 Sterling
- Emre 1-3 pm Saturday, November 3
- Santhosh 1-3 pm, Sunday, November 4
- Eva 3-5 pm Sunday, November 4

stretched partials 

Other cultures - other scales.....

Example:

measurements on Burmese Xylophone show that whole tones are smaller and half tones larger than Western scales, tending toward seven almost equal steps.

Similar scales are used in tuning of the Burmese harp.

**Tuning matters mostly in polyphonic music -
Only when playing cords is consonance the main issue
Became wide spread only in late Renaissance (after 1600)**

What do musicians actually play when not bound to a fixed scale (e.g violin)

Measurements on violin soloists (Green 1937)

	ratio (ave)	just	tempered
Minor third	1.186	$6/5 = 1.200$	1.189
Major third	1.264	$5/4 = 1.250$	1.260
Fifth	1.505	$3/2 = 1.50$	1.498

Maybe one likes what one is used to.....

Evidence: originally, tempered scale sounded bad
now just or meantone sounds out of tune

Changing pitch on instruments:

Strings - where place finger on fingerboard?

remember: frequency changes in inverse proportion to length

**example 1: guitar frets are located to play tempered scale
if string is 65.0 cm long, how far from neck is
fret to play B_3 on G_3 -string?**

**example 2: a violin string tuned to D_4 is 50 cm long.
What tone will it play if the musician reduces
the vibrating length to 30 cm? To 15 cm?**

Answers on next slide

Answers to above examples

example 1:

**B to G is four semitones. The new vibrating length must be the old length divided by $(1.0595)^4$: $L = 65.0/1.260=51.6\text{cm}$
distance from neck = $65.0-51.6 = 13.4\text{cm}$**

example 2

freq ratio is reciprocal of length ratio: $50/30 = 5/3$

$5/3$ interval is a just sixth (such as C-A see table of just ratios)

Thus tone is just sixth above $D_4 = B_4$.

For 15 cm string, ratio is $50/15 = 10/3$. This ratio is an octave

above $5/3$ (since $2 \times 5/3 = 10/3$) B_5

Brass: entire scale with only three valves - how?



French Horn

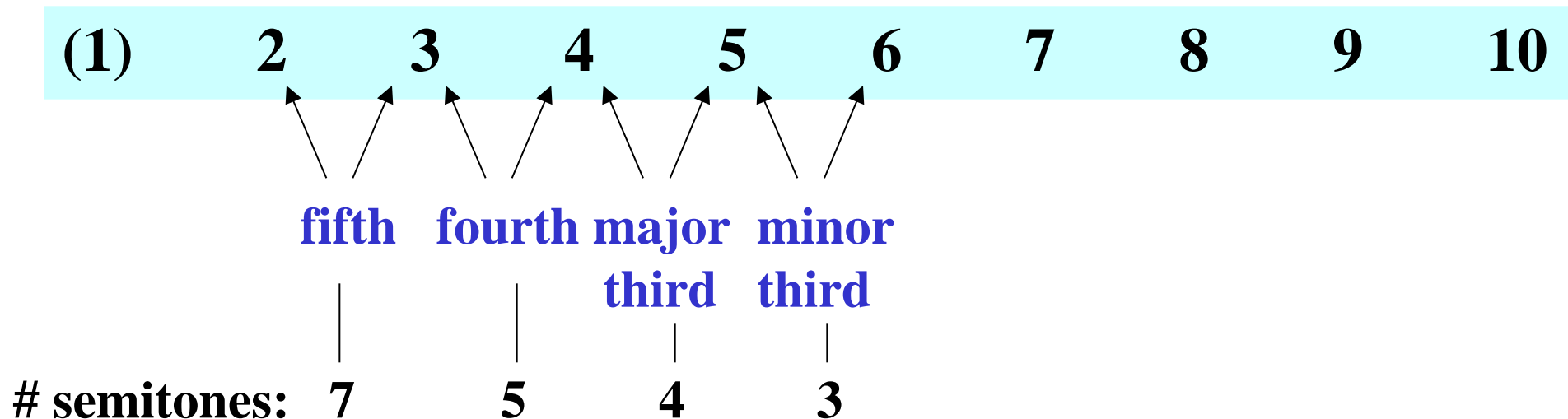


Trumpet

**note three valves to change
length of air column**

need to bridge the gaps in the natural scale:

first mode normally not used - biggest gap is FIFTH



lower pitch 1 semitone by adding length l_1 to original length l_0

2	l_2
3	l_3
4	$l_1 + l_3$
5	$l_2 + l_3$
6	$l_1 + l_2 + l_3$

**example: if the air column of a horn is 2.6 m long
how much additional length is needed to lower
the pitch by one semitone? by 3 semitones?
by 4 semitones?**

answer:

one semitone: lower pitch requires larger length (inverse proportion)

new length = old length times semitone ratio

new length = $260\text{cm} \times 1.0595 = 275.5\text{cm}$.

additional length needed = $275.5 - 260.0 = 15.5\text{cm}$

three semitones: new length = $260\text{cm} \times (1.0595)^3 = 309.2\text{cm}$

additional length needed = $309.2 - 260.0 = 49.2\text{cm}$

four semitones: $260\text{cm} \times (1.0595)^4 = 327.6\text{cm}$

additional length needed = $327.6 - 260.0 = 67.6\text{cm}$

Note: the way the horn is used, when the player want to lower

the pitch by 4 semitones he adds $15.5\text{cm} + 49.2\text{cm} = 64.7\text{cm}$

but should be 67.6 for correct tuning! He is off $3\text{cm}/327\text{cm}$

or about 1%, which is 1/6 of a semitone. Not perfect but not bad.