

NAME: Answers, Sect. # \_\_\_\_\_

Physics 109 Homework # 1  
due Monday, September 18, 2001

- Prefixes for large numbers are **k** for kilo ( $10^3$ ), **M** for mega ( $10^6$ ) and **G** for giga ( $10^9$ ).
- Prefixes for small numbers are **m** for milli ( $10^{-3}$ ),  **$\mu$**  for micro ( $10^{-6}$ ), and **n** for nano ( $10^{-9}$ ).
- Weight of a mass depends on how strong gravity is at that location. On earth, the acceleration of gravity is  $g = 9.8 \text{ m/s}^2$ . The weight is figured as  $w = mg$ .
- spring constant **k** is related to force **F** and elongation (stretching) **x** by  $F = -kx$ .

1. A dog can hear frequencies up to 40,000 Hz

a) express this frequency in kHz.

$$40,000 \text{ Hz} = 40 \times 1000 \text{ Hz} = \underline{40 \text{ kHz}}$$

b) find the period of this oscillation. Express the answer in s, in ms and in  $\mu\text{s}$ .

$$T = \frac{1}{f} = \frac{1}{40,000 \text{ oscill/sec}} = \frac{1 \text{ sec}}{40,000} = \underline{0.000,025 \text{ sec}}; \frac{1000 \text{ msec}}{40,000} = \underline{0.025 \text{ msec}}$$

i.e. for msec shift decimal pt. 3 places. In  $\mu\text{sec}$   $T = 10^6 / 40,000 = \underline{25 \mu\text{sec}}$

2. If Jim has a mass of 70 kg, how much many Newtons does he weigh on earth where the acceleration of gravity is  $g = 9.8 \text{ m/s}^2$ ?

$$\text{weight} = mg = 70 \text{ kg} \times 9.8 \frac{\text{m}}{\text{s}^2} = \underline{686 \text{ N}} \text{ (Newtons)}$$

if Jim is on the moon where the acceleration of gravity is only  $0.15 \text{ m/s}^2$ , how much will he weigh?

$$70 \text{ kg} \times 0.15 \frac{\text{m}}{\text{s}^2} = 7 \text{ N} \quad (\text{but note: I gave you wrong number: on moon } 1.5 \text{ m/s}^2, \text{ not } 0.15 \text{ m/s}^2)$$

3. for the oscillation on the right, the horizontal axis (time) is in msec.

find the period T in sec and in msec:

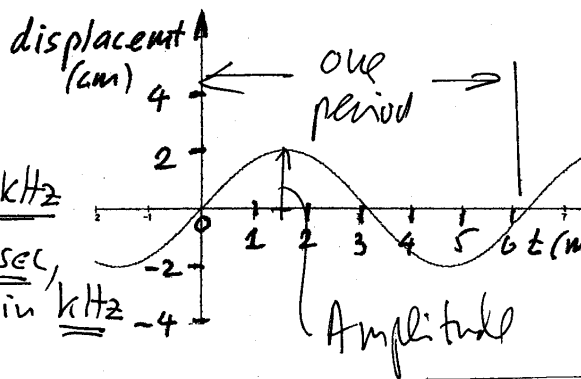
$$T = \underline{6 \text{ ms}} = \underline{6 \times 10^{-3} \text{ s}} = \underline{0.006 \text{ sec}}$$

find the frequency in Hz and in kHz:

$$f = \frac{1}{T} = \frac{1}{0.006} \text{ Hz} = \underline{167 \text{ Hz}} = \underline{0.167 \text{ kHz}}$$

note: if in  $f = \frac{1}{T}$  the period is in msec, find the amplitude the f comes out in kHz

$$A = \underline{2 \text{ cm}}$$



4. The length of a spring is measured for different pulls F:

|                   |      |      |      |      |       |
|-------------------|------|------|------|------|-------|
| pull F on spring  | 2N   | 4N   | 6N   | 8N   | 10N   |
| length of spring: | 20cm | 25cm | 30cm | 35cm | 40 cm |

Find the spring constant in N/cm and in N/m

2 N pull elongates (stretches) the spring by  $5\text{cm} = 5 \times 10^{-2}\text{m} = x$   
(note:  $1\text{cm} = 10^{-2}\text{m} = \frac{1}{100}\text{m}$  ... centi = 1/100)

$$\text{spring constant } k = F/x = \frac{2\text{N}}{5\text{cm}} = 0.4 \frac{\text{N}}{\text{cm}}$$

$$\text{in N/m: } k = F/x = \frac{2\text{N}}{0.05\text{m}} = \underline{\underline{40 \frac{\text{N}}{\text{m}}}}$$

5. For simple harmonic motion (mass on a spring) the frequency is the same, no matter whether the amplitude is large or small. This seems strange at first, because for a large amplitude the mass has further to travel.

Explain to a friend in plain language WHY the frequency stays the same even if you make the amplitude twice as large.

Twice the displacement  $\rightarrow$  twice the spring force  
but twice the spring force  $\rightarrow$  speeds up the  
mass twice as much.

So now we have: twice the distance of travel.

but also twice the speed

thus same travel time  $\rightarrow$  same period  
= same frequency